

Sensitivity estimation  
for  $H \rightarrow s\bar{s}$  search  
with machine learning

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N lab

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Motivation for  $H \rightarrow s\bar{s}$  Search



Sample and Analysis



Variables



Result



Motivation for  $H \rightarrow s\bar{s}$  Search



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## Higgs mechanism

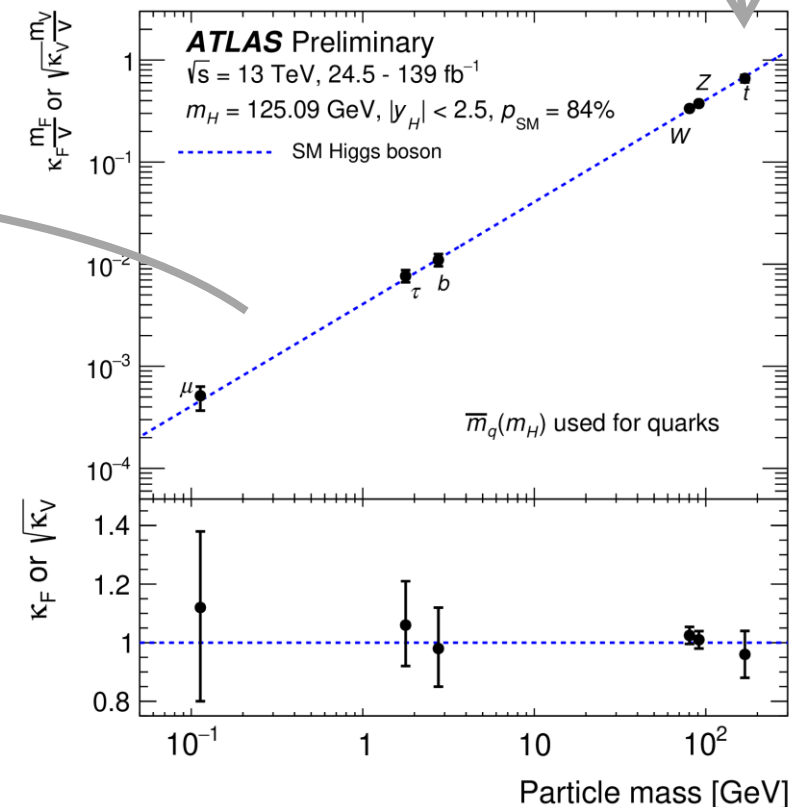
In the SM, Higgs boson coupling is proportional to particle's mass

## The measurements are ongoing

- Weak boson
- 3<sup>rd</sup>-generation charged fermion

## For 2<sup>nd</sup>-generation charged fermion

- $\mu$  HL-LHC
  - charm* ILC
  - strange* ??
- **Focus on  $s$ !!**





Motivation for  $H \rightarrow s\bar{s}$  Search



Sample and Analysis



Variables

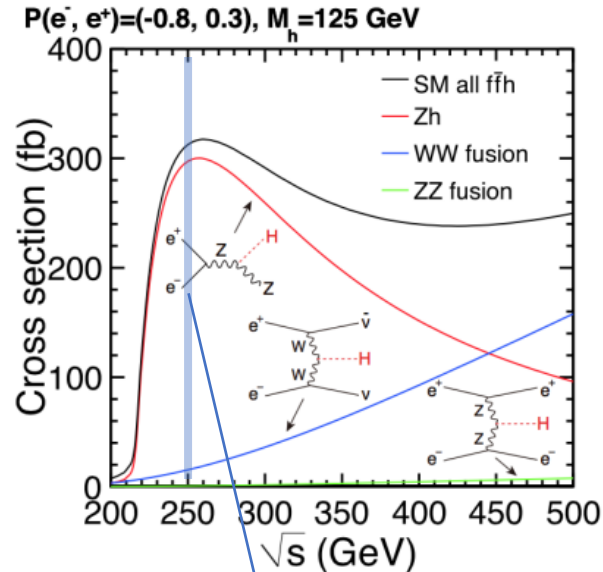
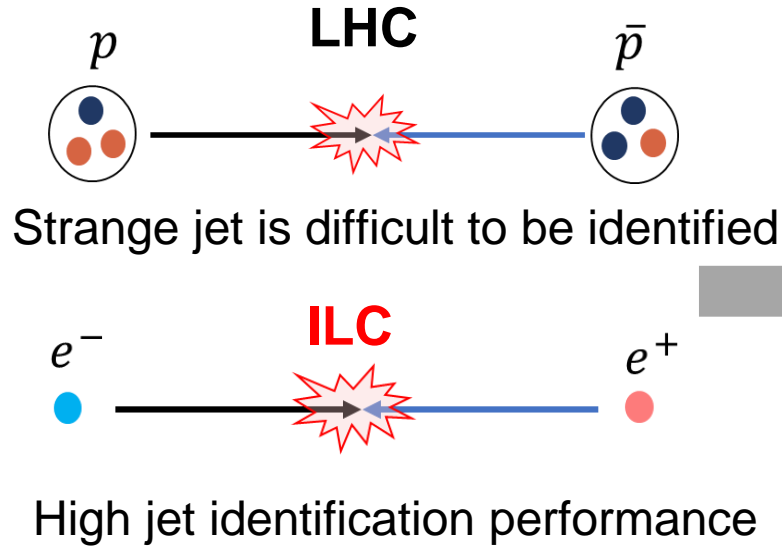


Result

# Higgs Production and Decays Focused on

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As the first step of  $H \rightarrow s\bar{s}$  search, study with truth not through detector simulation



Suppose  $H \rightarrow b\bar{b}, c\bar{c}$  are separable

Consider  $H \rightarrow gg$

- Branching ratio:  
~100 times  $H \rightarrow s\bar{s}$
- Jet shape is similar

**Experiments**  
**ILC**

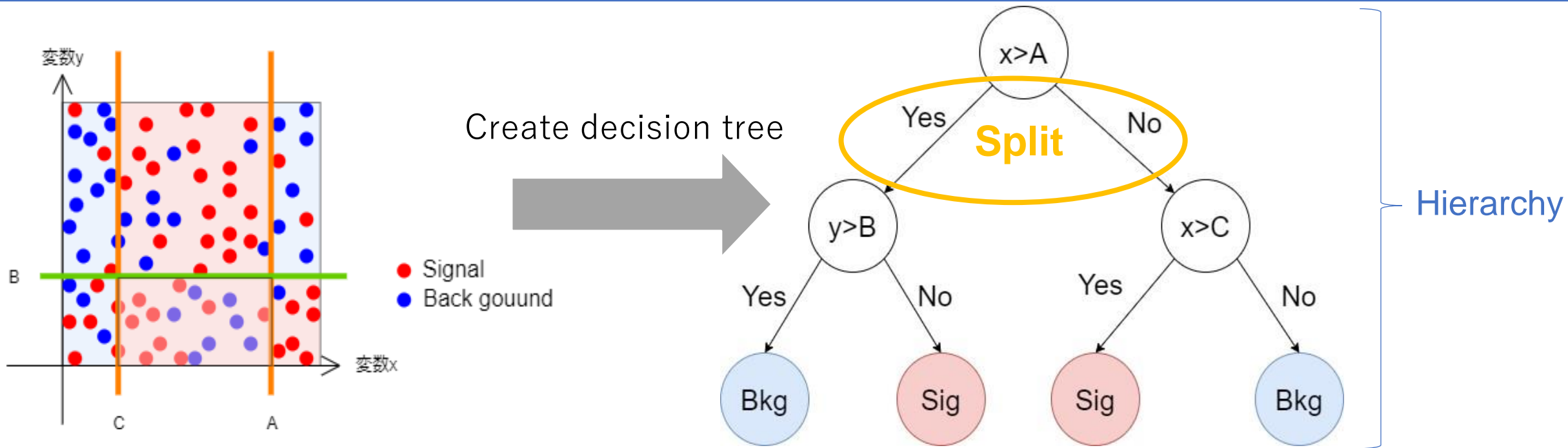
**Higgs production**  
**ZH**

Signature: high pt muon

**Signal:**  $H \rightarrow s\bar{s}$   
**Background:**  $H \rightarrow gg$

# Boosted Decision Tree (BDT)

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**Combination of multiple decision trees with better discrimination performance**



**BDT**

$$(\text{Significance}) \equiv \frac{S}{\sqrt{S+B}}$$

$$S = \sigma(e^+e^- \rightarrow ZH) \times Br(Z \rightarrow \mu^-\mu^+) \times Br(H \rightarrow s\bar{s}) \times L \times \epsilon_{sig}$$

$$B = \sigma(e^+e^- \rightarrow ZH) \times Br(Z \rightarrow \mu^-\mu^+) \times Br(H \rightarrow gg) \times L \times \epsilon_{bkg}$$

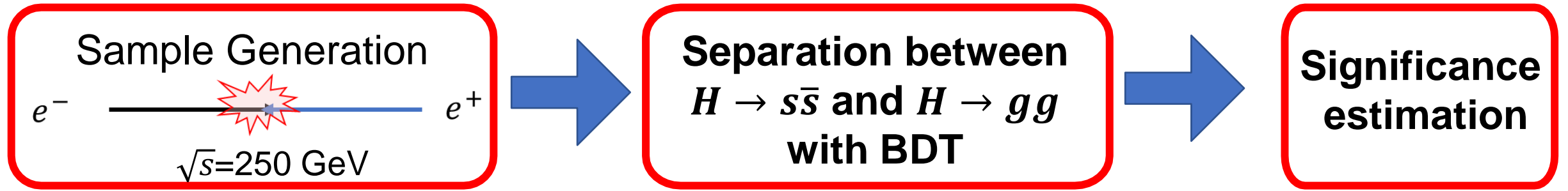
L: Integrated luminosity = 2000 fb<sup>-1</sup> (10 year, 250 GeV)

$\sigma$ : cross section

Br: Branching ratio

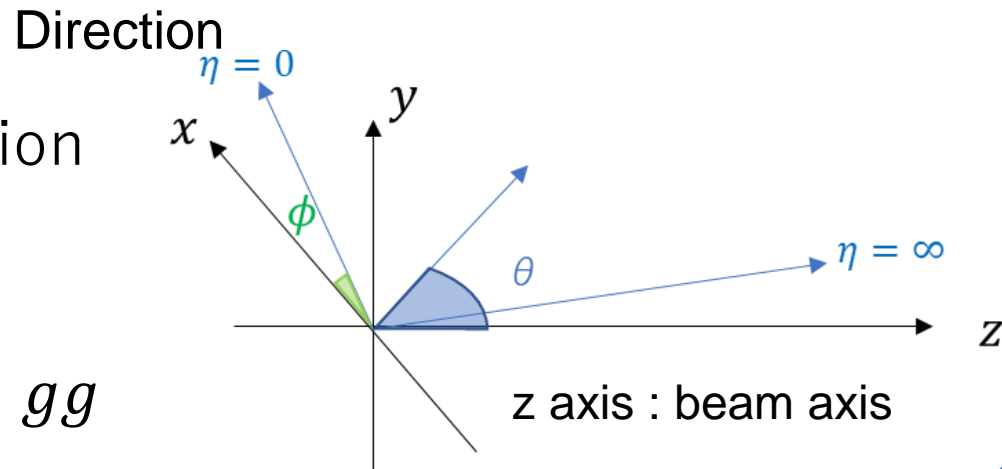
The goal : Estimation of the significance





Assume ILC

- Only ZH production
- Truth flag
- Signal:  $H \rightarrow s\bar{s}$
- Background:  $H \rightarrow gg$



Input variables

- Number of particles
- Number of kaons
- Energy sum



Motivation for  $H \rightarrow s\bar{s}$  Search



Sample and Analysis



Variables

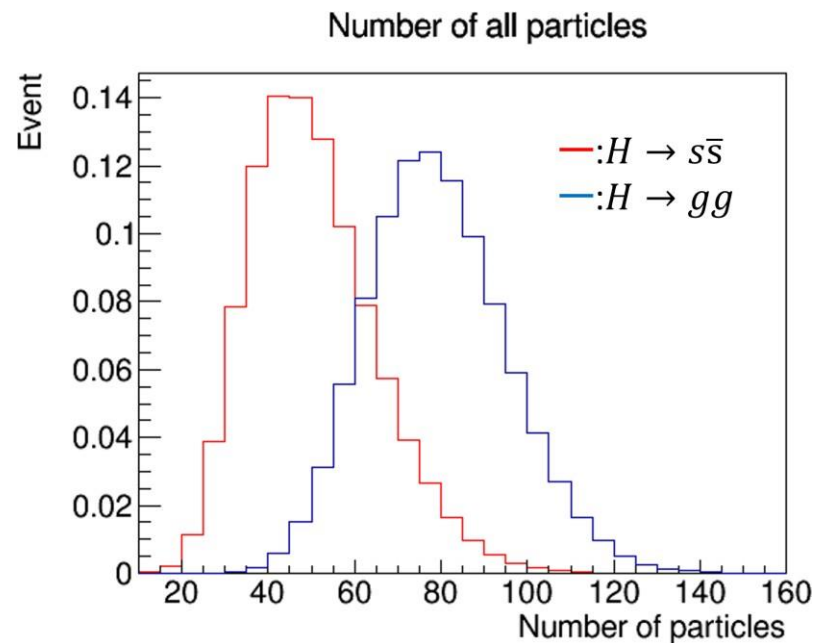


Result

Obtained from final state particles by event

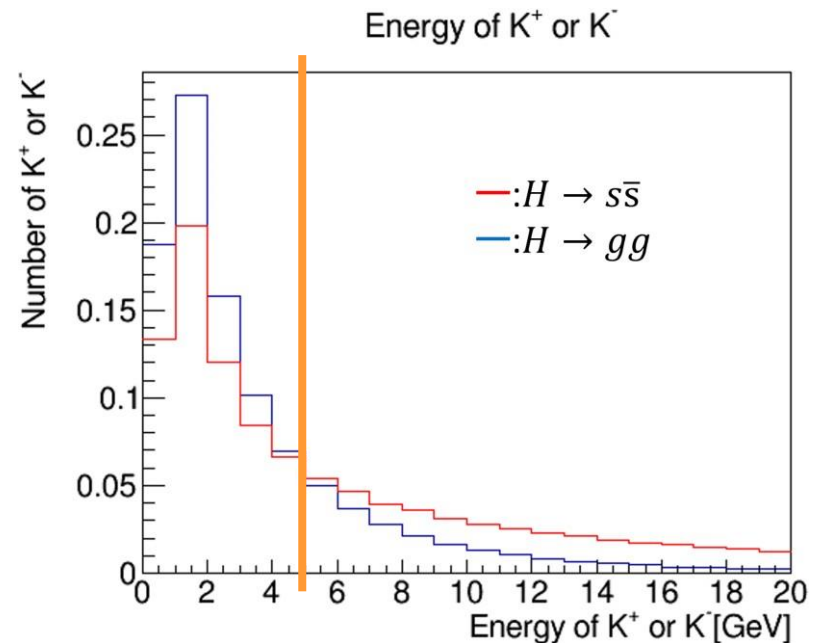
① Total number of particles

difference due to color charge



② Total number of  $K^+, K^-$  with energies greater than 5 GeV

$s$  jets contain more  $K^+, K^-$



Obtained from final state particles by event

③  $E(\Delta R)$ : Sum of energies in cone

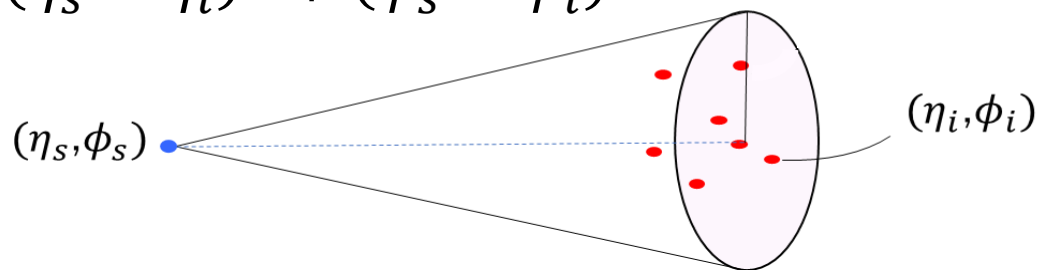
Difference due to jet shape (difference due to color charge)

$$\mathbf{E}(\Delta R) = \mathbf{E}_{\bar{s}}(\Delta R) + \mathbf{E}_s(\Delta R)$$

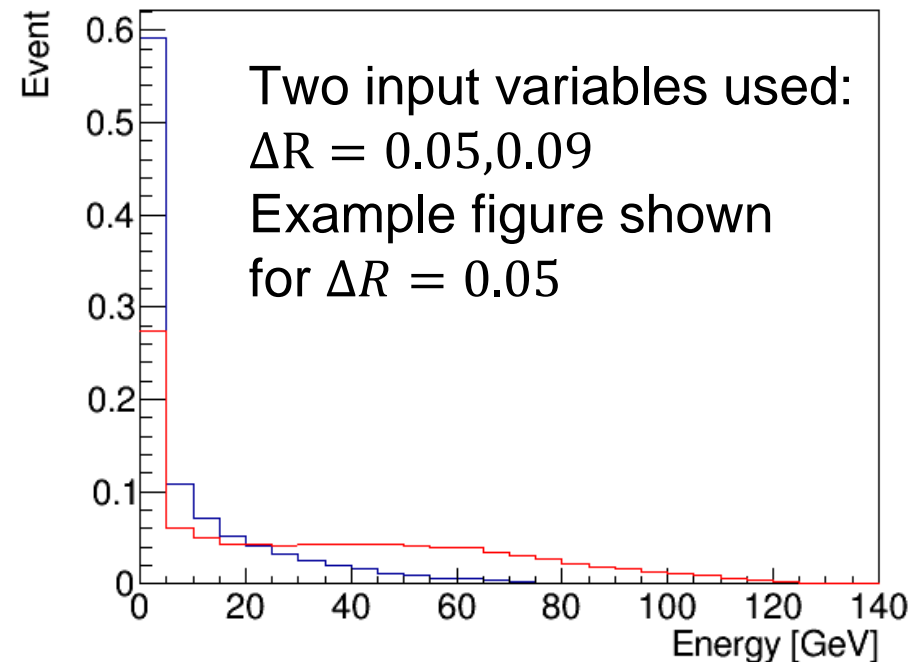
$E_s$  ( $E_{\bar{s}}$ ): sum of energies in  $s$  ( $\bar{s}$ ) jet cone

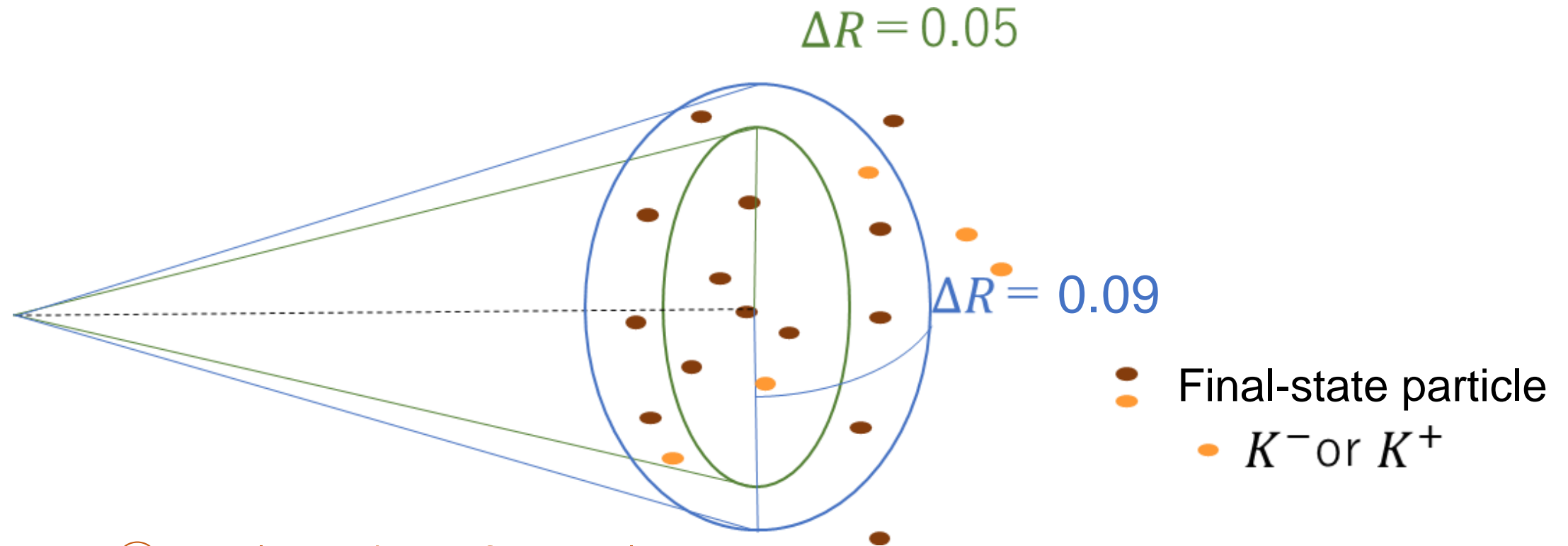
Sum of energy when  $\Delta R = 0.05$

$$\Delta R = \sqrt{(\eta_s - \eta_i)^2 + (\phi_s - \phi_i)^2}$$



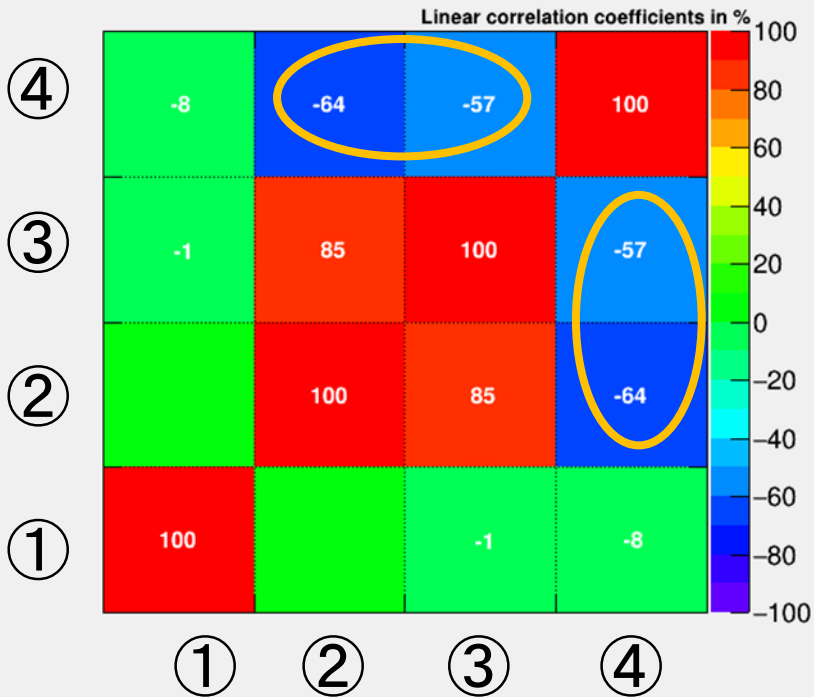
● Final-state particle



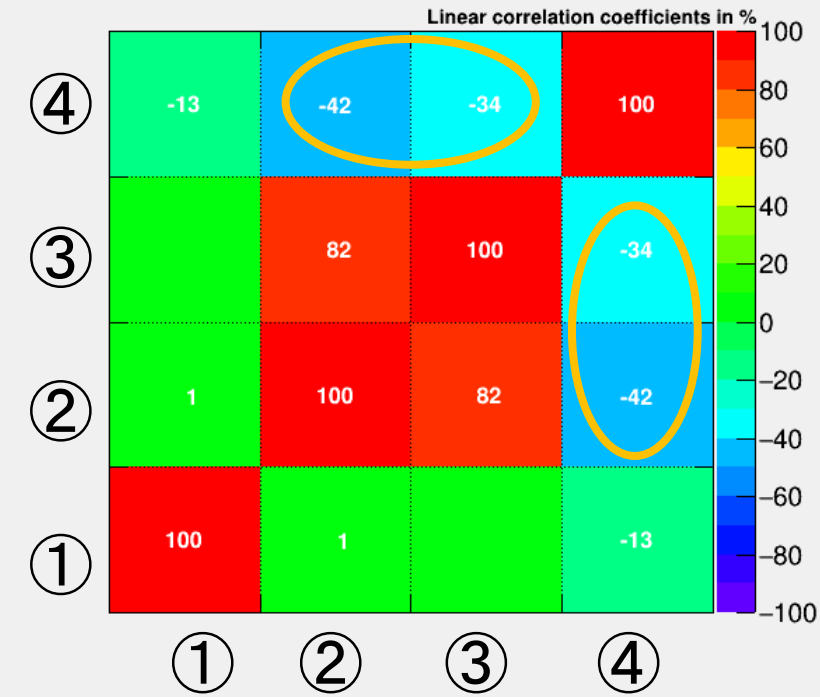


- ① Total number of particles
- ② Total number of  $K^+$ ,  $K^-$  with energies greater than 5 GeV
- ③ Sum of energy in the cone at  $\Delta R=0.05$
- ④ Sum of energy in the cone at  $\Delta R=0.09$

### Correlation Matrix (signal)



### Correlation Matrix (background)



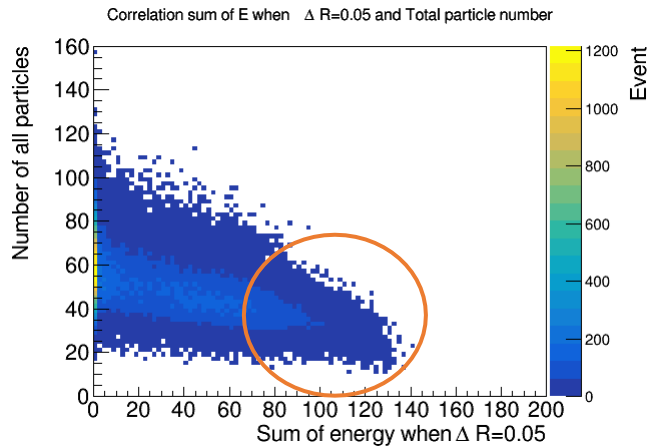
- ① Total number of  $K^+, K^-$  with energies greater than 5 GeV
- ② Sum of energy in the cone at  $\Delta R=0.09$
- ③ Sum of energy in the cone at  $\Delta R=0.05$
- ④ Total number of particles

Different correlations among ②, ③ and ④  
for signal and background

# Difference between Energy and Particles Counts

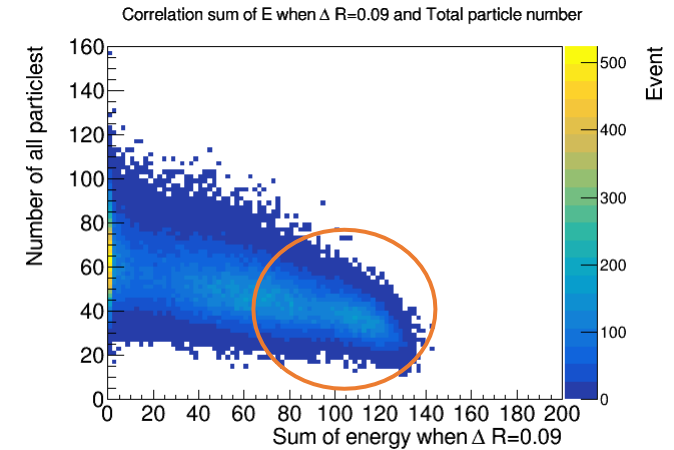
$\Delta R = 0.05$

$H \rightarrow s\bar{s}$

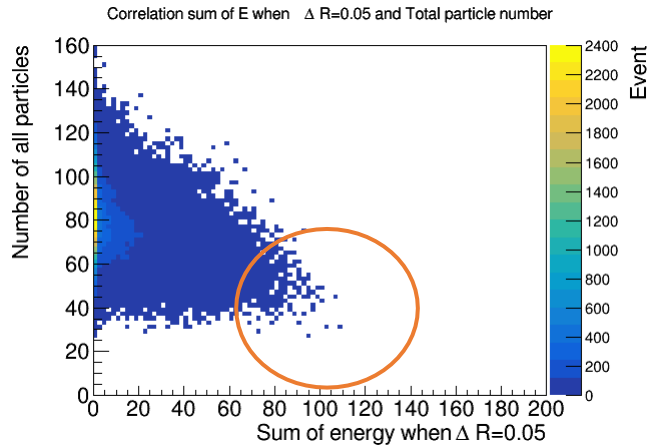


$\Delta R = 0.09$

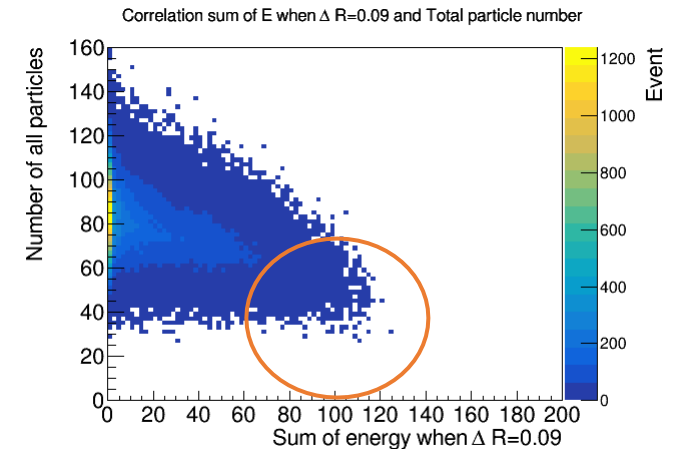
$H \rightarrow s\bar{s}$



$H \rightarrow gg$



$H \rightarrow gg$



BDT can consider difference in correlation



Motivation for  $H \rightarrow s\bar{s}$  Search



Sample and Analysis



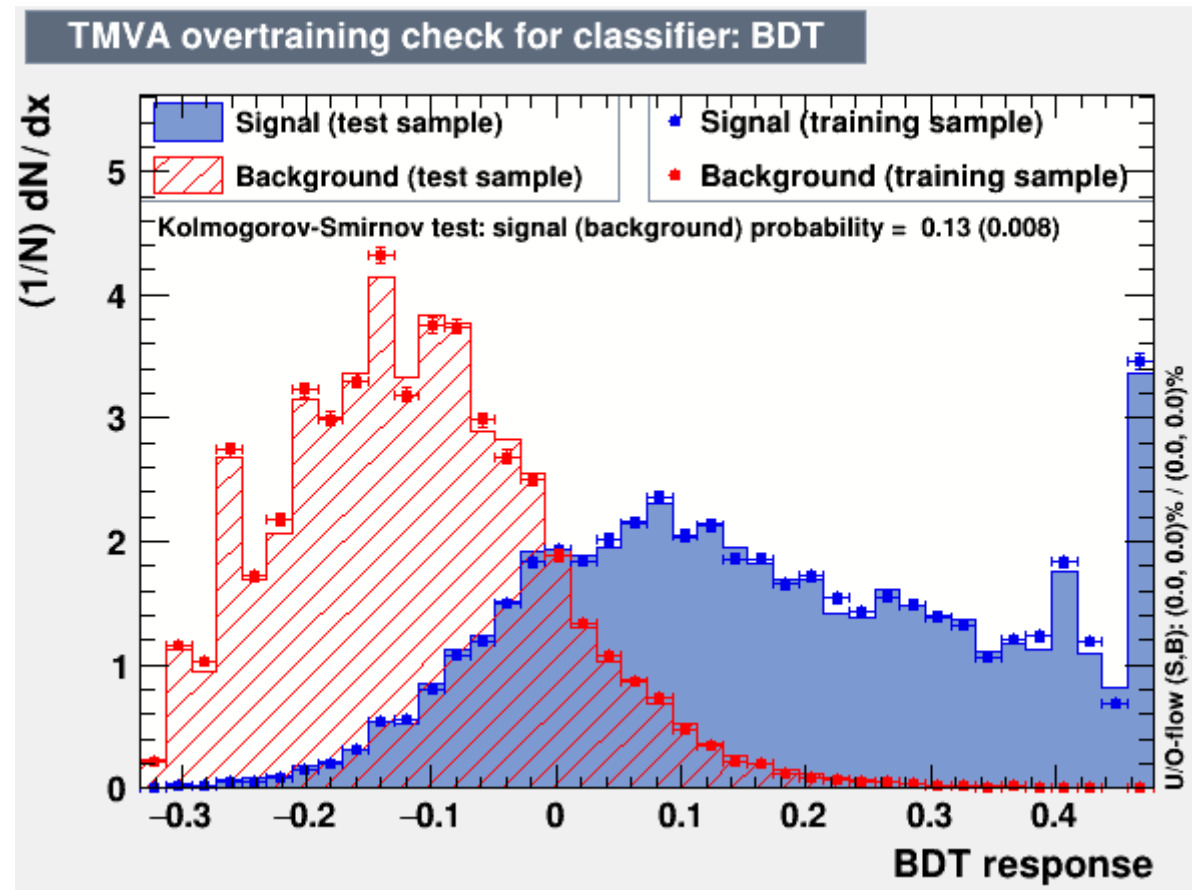
Variables



Result

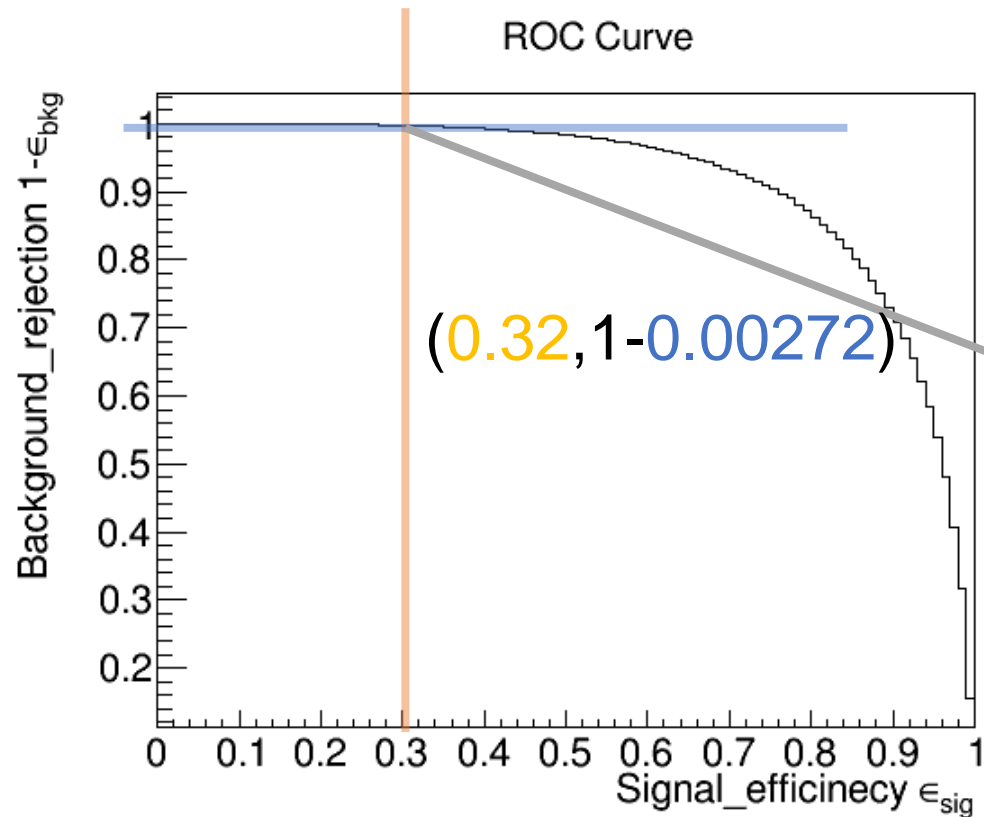


Signal (background) events have values closer to 1 (-1)



Using Receiver Operating Characteristic (ROC) curve

I obtain  $\epsilon_{sig}$  and  $\epsilon_{bkg}$  which is required to obtain significance



For the integrated luminosity  $2000 \text{ fb}^{-1}$ ,  
the maximum significance is  **$1.2\sigma$**

As the first step in  $H \rightarrow s\bar{s}$  search

- Separation between  $H \rightarrow s\bar{s}$  and  $H \rightarrow gg$  was performed with BDT
- Using truth information, for the integrated luminosity  $2000 \text{ fb}^{-1}$ , the maximum significance is  **$1.2\sigma$**

Back up

## Optimized number of $E(\Delta R)$

### Comparison

-BDT input: Fixed ①,②

### Changing number of $E(\Delta R)$

- $\Delta R$ : 0.05-2.0 (0.01 step)

① Total number of particles

② Total number of  $K^+, K^-$  with energies greater than 5 GeV

Ex. When Input two  $E(\Delta R)$

BDT input: ①,②,  $E(\Delta R), E(\Delta R')$

## Result



The optimal combination of  $E(\Delta R)$  is  $\Delta R = (0.05, 0.09)$

## Significance

$$\frac{\sigma(e^+e^- \rightarrow ZH) \times Br(Z \rightarrow \mu^-\mu^+) \times Br(H \rightarrow s\bar{s}) \times L \times \epsilon_{sig}}{\sqrt{\sigma(e^+e^- \rightarrow ZH) \times Br(Z \rightarrow \mu^-\mu^+) \times L \times \{Br(H \rightarrow s\bar{s}) \times \epsilon_{sig} + Br(H \rightarrow gg) \times \epsilon_{bkg}\}}}$$

$L$ : Integrated luminosity

$\sigma(e^+e^- \rightarrow ZH)$ : Cross section

$Br(H \rightarrow gg)$ ,  $Br(H \rightarrow s\bar{s})$ ,  $Br(Z \rightarrow \mu^-\mu^+)$ : Branching Ratio

$\epsilon_{sig}$ : Signal efficiency

$\epsilon_{bkg}$ : Background efficiency

※ Each constant is a value that takes ILC into account.

※ BDT Output

- **L**: Integrated luminosity  
2000 fb<sup>-1</sup> (10 year, 250 GeV)
- $\sigma(e^+e^- \rightarrow ZH)$ : Cross section  
300 fb
- $\text{Br}(H \rightarrow gg)$ ,  $\text{Br}(H \rightarrow s\bar{s})$ ,  $\text{Br}(Z \rightarrow \mu^-\mu^+)$ : Branching Ratio  
 $\text{Br}(H \rightarrow gg) = 8.187 \times 10^{-2}$   
 $\text{Br}(H \rightarrow s\bar{s}) = 5.05753 \times 10^{-4}$   
 $\text{Br}(Z \rightarrow \mu^-\mu^+) = 3.36 \times 10^{-2}$

**Power** :indicator of the identification accuracy of a single variable

$$\text{power} \equiv \frac{|M_{sig} - M_{bkg}|}{\sqrt{\sigma_{sig}^2 + \sigma_{bkg}^2}}$$

$\sigma_{sig}$  :Standard deviation of a variable with signal events

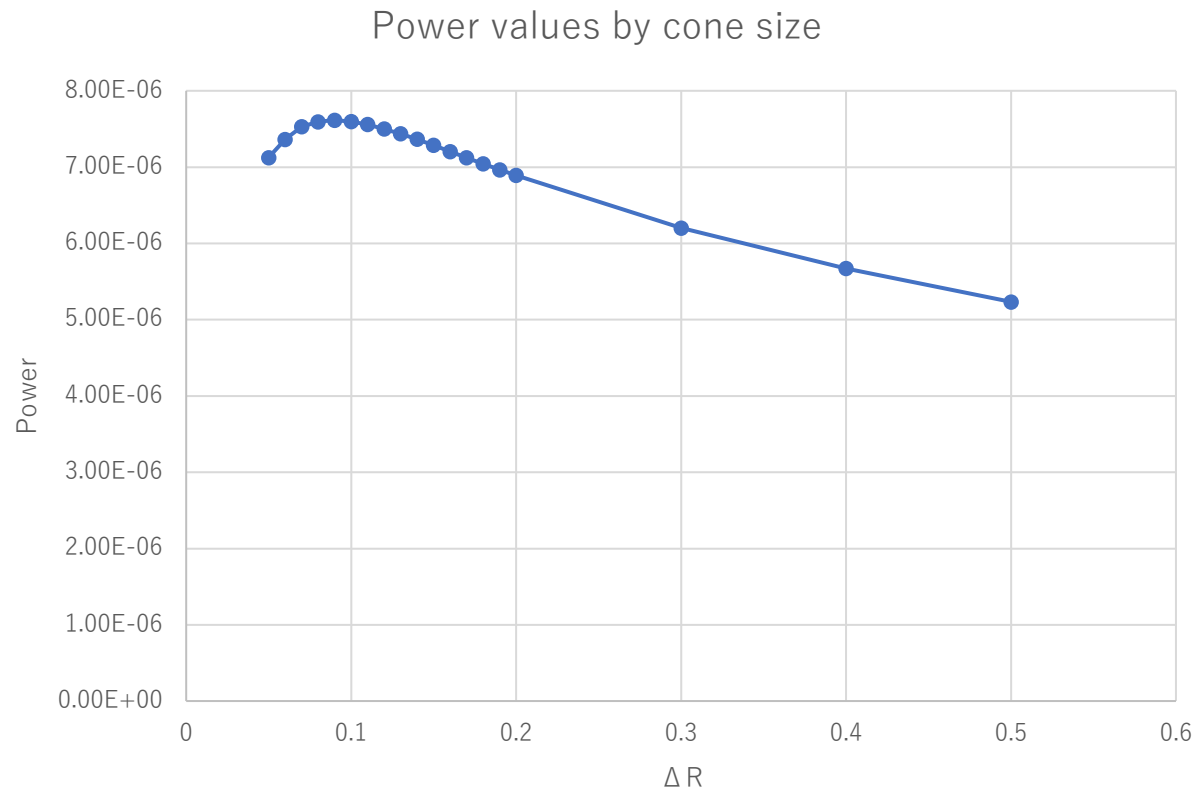
$M_{sig}$ :Mean of a variable with signal events

$\sigma_{bkg}$  :Standard deviation of a variable with background events

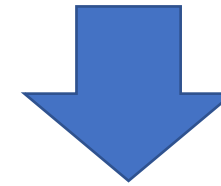
$M_{bkg}$ :Mean of a variable with background events

Variables with higher values have higher discriminative power



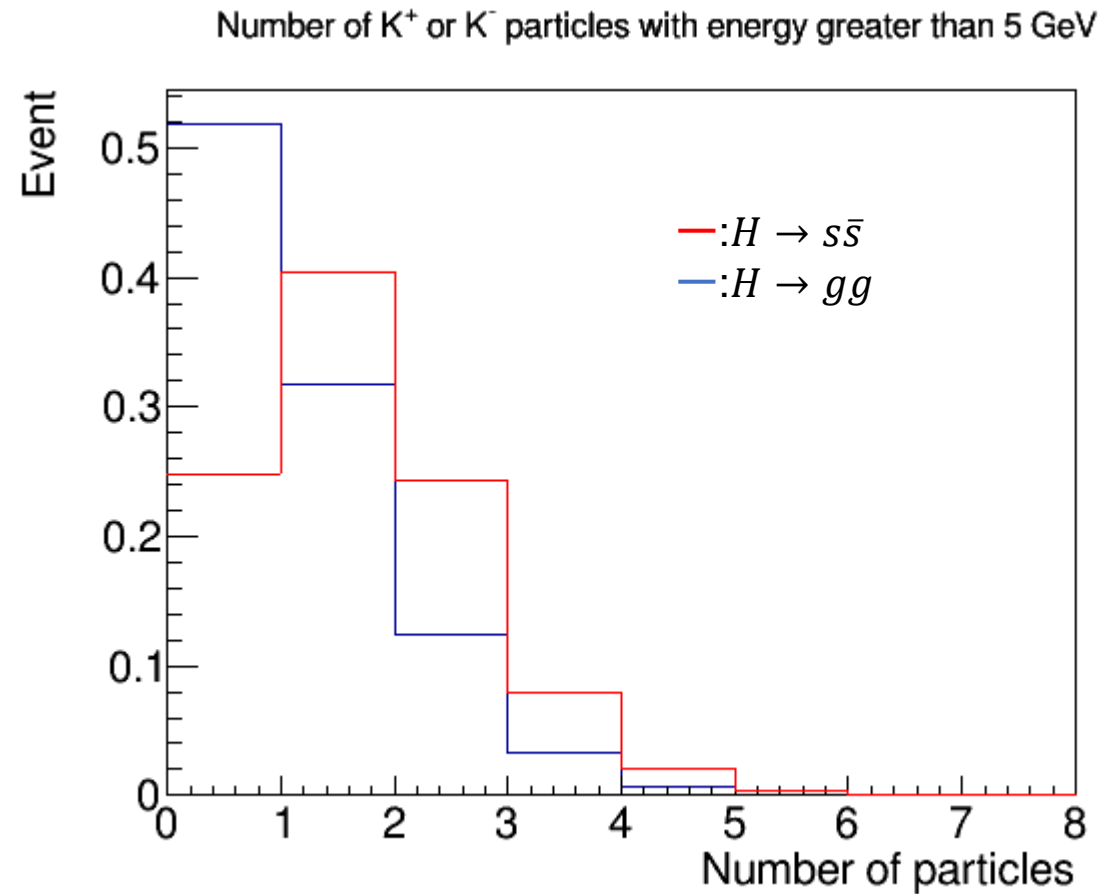


When  $\Delta R = 0.09$ ,  
Power value was highest

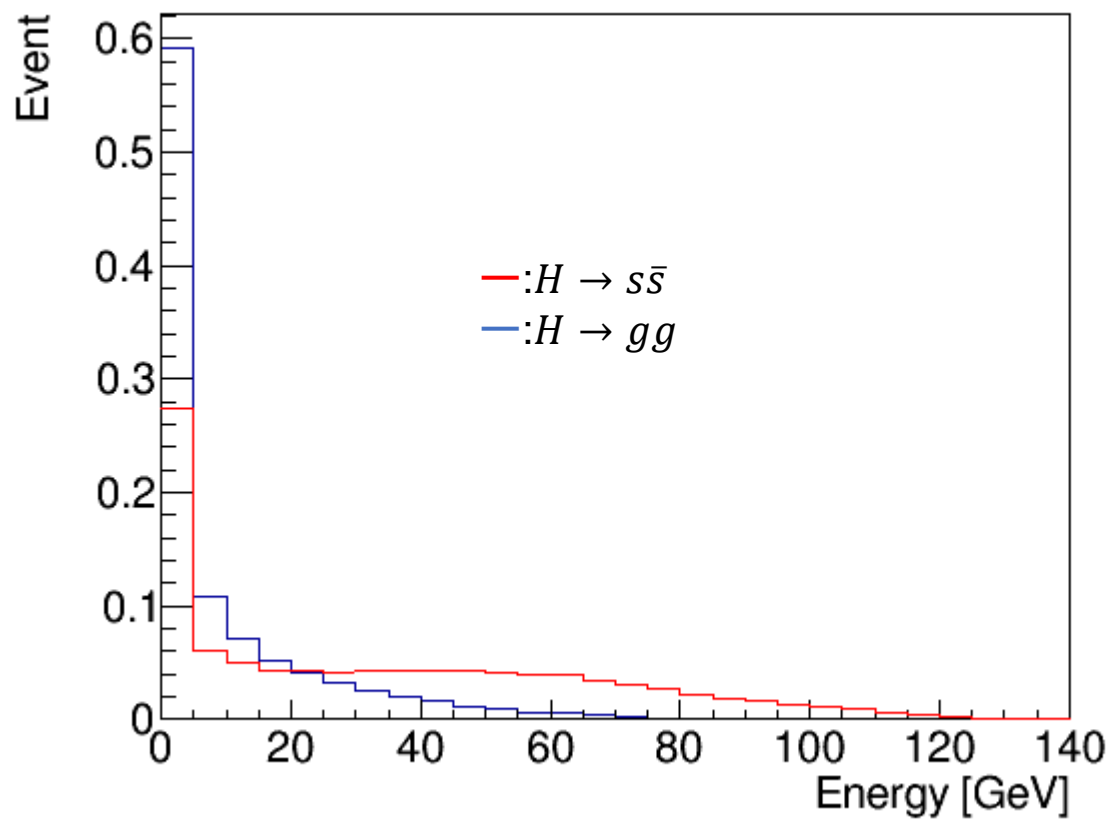


Best discriminating ability of  
single variable is at **0.09**

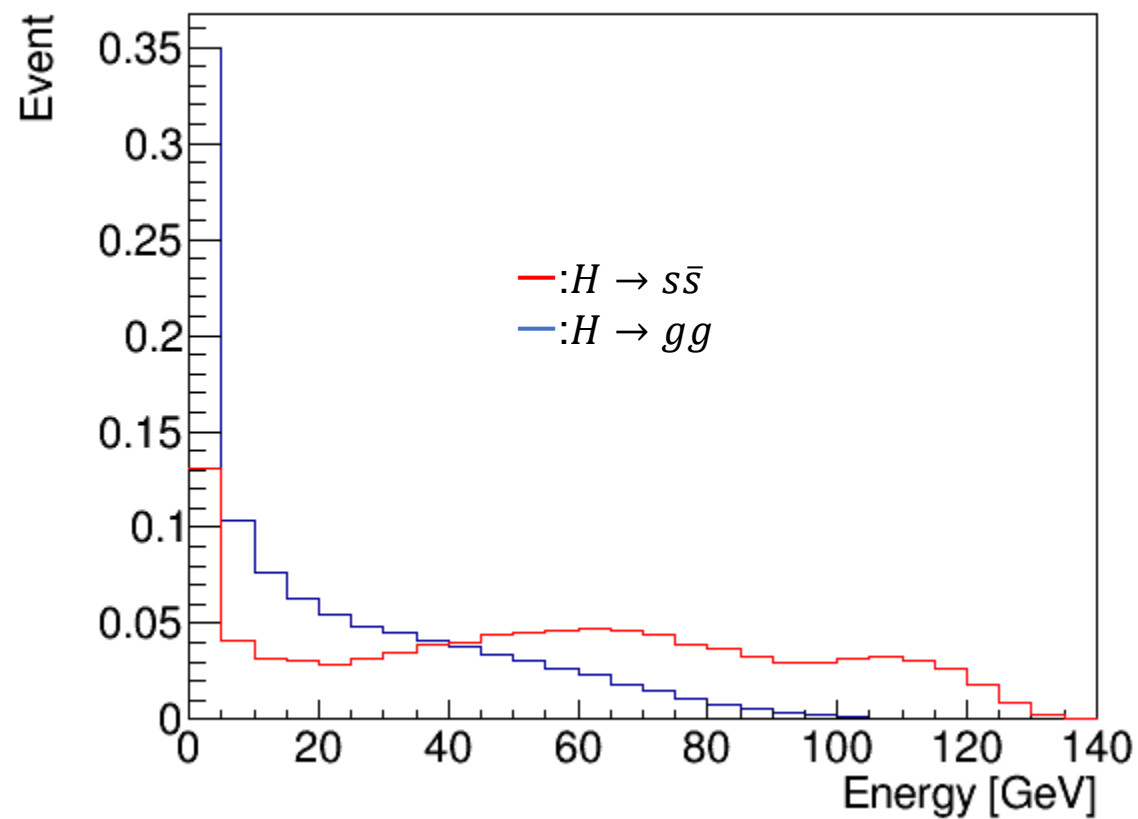
# $K^-$ , $K^+$ that are $E \geq 5$ GeV per event



Sum of energy when  $\Delta R=0.05$



Sum of energy when  $\Delta R=0.09$

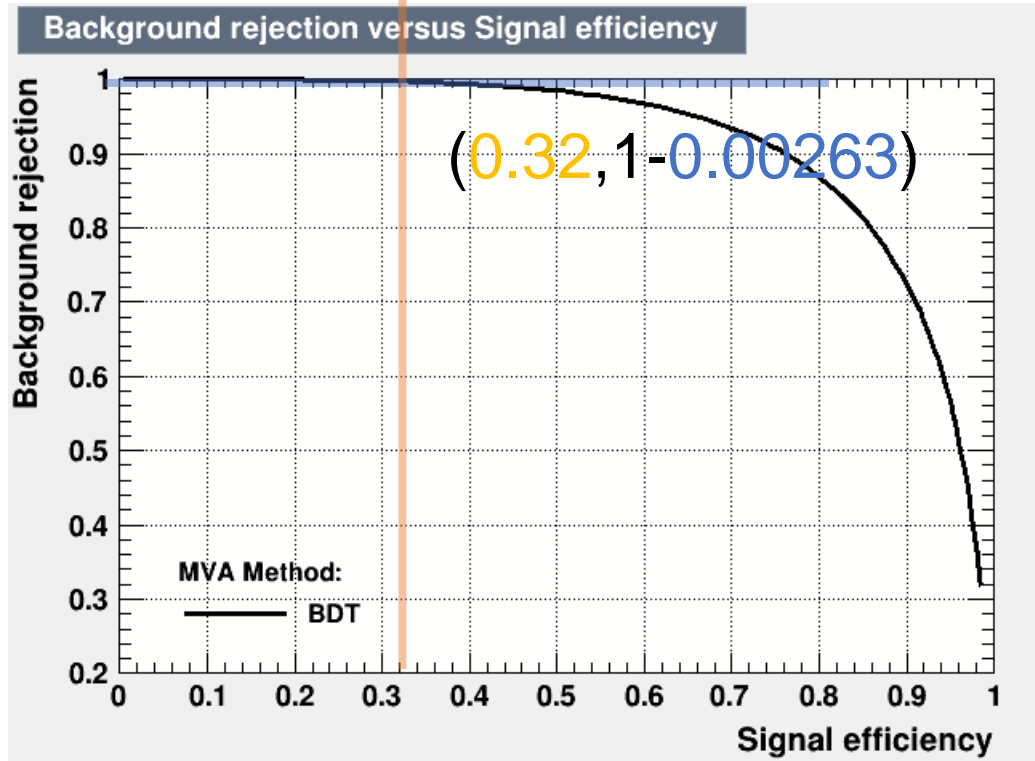


Focusing on the final state particles of each of  $H \rightarrow s\bar{s}$  and  $H \rightarrow gg$

- ① Total number of particles
- ② Sum of energy in the cone at  $\Delta R=0.05$
- ③ Sum of energy in the cone at  $\Delta R=0.09$
- ④ Total number of  $K^+, K^-$  with energy greater than 5 GeV
- ⑤ **Total number of  $K^+, K^-$  with energy less than 5 GeV**

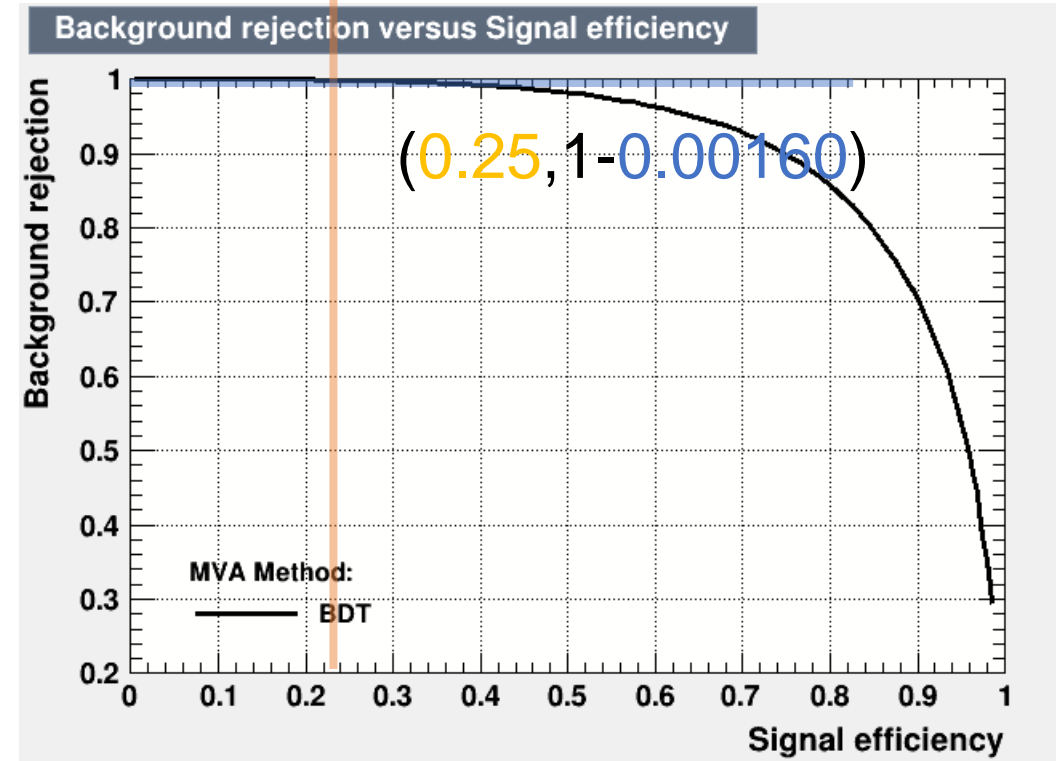
①-⑤ and ①-③ and ①-③+⑤ as input variables,  
BDTs were created and compared

Add  $E \leq 5$  GeV  $K^+, K^-$



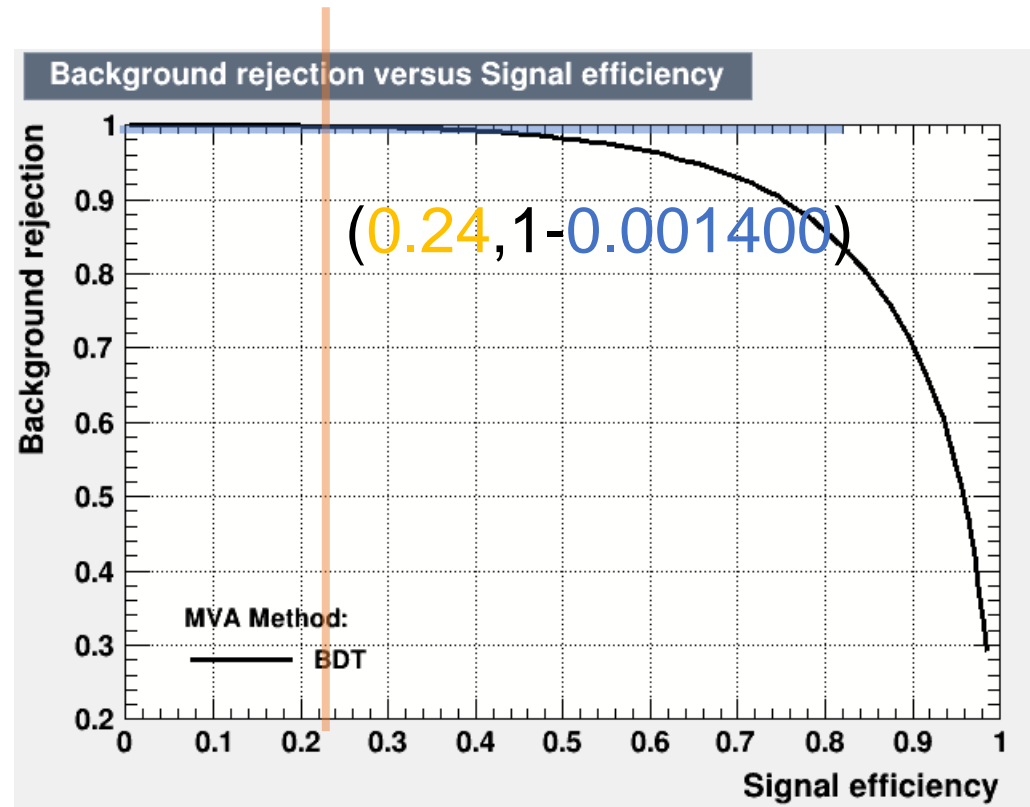
Max Significance:1.19

Excluding variables related to  $K^+, K^-$



Max Significance:1.12

Add  $E \leq 5$  GeV  $K^+, K^-$  but exclude  $E \geq 5$  GeV  $K^+, K^-$



Max Significance:  $1.12\sigma$