

# The virtual $\gamma$ saga, part II and end

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ILD SW&ANA phone meeting

**CLUSTER OF EXCELLENCE**  
QUANTUM UNIVERSE



# The virtual $\gamma$ saga: Intro

- The process  $e^+e^- \rightarrow e^+e^- + f\bar{f}$  is **difficult to generate**: If the 4-momentum transfer between incoming and outgoing  $e^{+(-)}$  ( $= q \approx$  the scattering angle) becomes small, the process is dominated by scattering of virtual  $\gamma$ :s radiated off the  $e^{+(-)}$
- It becomes very hard to evaluate the phase-space integral from the full M.E. treatment, and event-generation becomes **very slow**.
- At some lowest  $q$ , we **switch** from the M.E. treatment to the *equivalent photon approximation* (**EPA**), where the flux of **virtual** (or better “quasi-real”) photons is evaluated, and the process becomes  $\gamma\gamma \rightarrow f\bar{f}$ , i.e. a  $2 \rightarrow 2$  process.
- NB: In both cases, there is a **minimum**  $M_{f\bar{f}}$  (4 GeV for e:s,  $2 \times M_\tau$  for  $\tau$ :s, 10 GeV for quarks. For  $\mu$ :s either 4 GeV or  $2 \times M_\mu$ )

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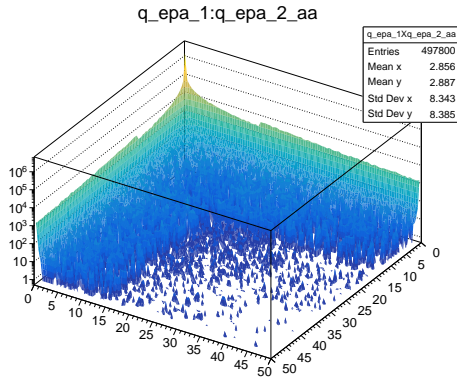
## HOWEVER ....

- The regions didn't match !
- A jump  $\sim$  factor 1/2 for each  $e^{+(-)}$  replaced by an EPA...
- Also the shapes at the junction are different...

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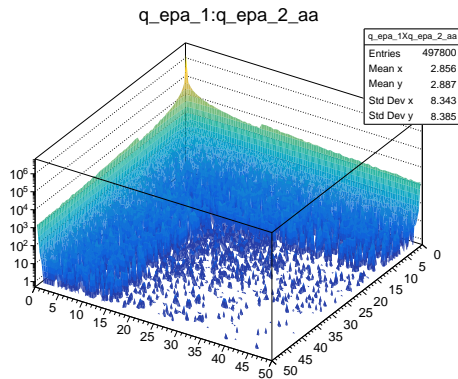
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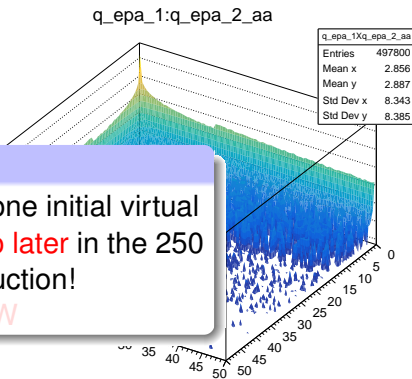
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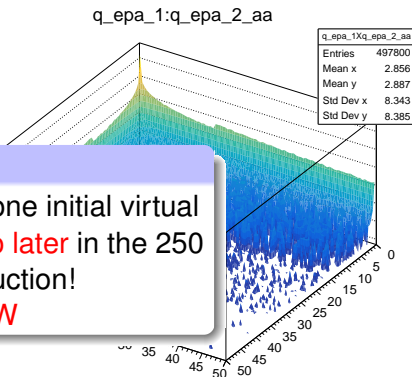
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- Wolfgang Kilian (WHIZARD author) confirmed:
  - There **was** indeed a factor  $\equiv 2$  missing per virtual photon if beam-polarisation is on in WHIZARD V2.X.
  - Fixed in WHIZARD V3.X
- It is clear that the cut in  $Q^2$  between the M.E. and the EPA generation of  $e^+e^- \rightarrow e^+e^- + X$  was **too high** wrt the cut on  $m_X$ .
- This I've studied, and found that  $\sqrt{|Q^2|} = 0.05$  is a good separation, even for a cut  $m_X$  at 4. The cut in  $\sqrt{|Q^2|}$  in the existing M.E. samples is at 4, so there is a **missing part** for  $\sqrt{|Q^2|} \in [0.05, 4]$  (NB: A year ago, I found that 0.2 would work, but further scrutiny showed that it still was too high :())
- Tip from Filip:
  - There **is** a way to emulate an **OR** in the cuts-definition in the sindarin ( $a \vee b \Leftrightarrow \neg(\neg a \wedge \neg b)$  ...)  $\Rightarrow$  The "L-shaped" missing phase-space in the M.E. part of  $e^+e^- \rightarrow e^+e^- + X$  can be generated in a single step.



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# Final cuts

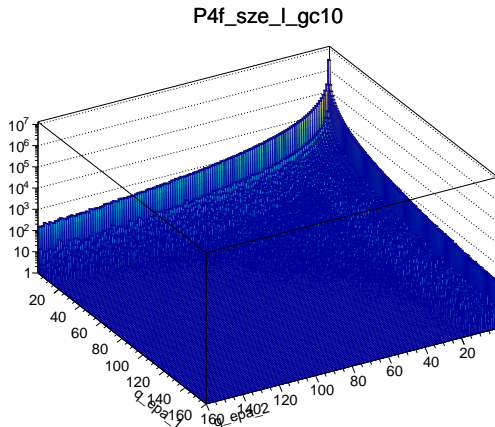
- For both  $\sqrt{|Q^2|} > 2$ , M.E. : No cuts, except default  $m_{f\bar{f}}$ . No cut on  $m_{\mu^+\mu^-}$
- For both  $\sqrt{|Q^2|} > 0.05$  and at least one  $\sqrt{|Q^2|} < 2$ , M.E.: As above, except  $m_{\mu^+\mu^-} > 4$
- For one  $\sqrt{|Q^2|} > 0.05$  and one  $\sqrt{|Q^2|} > 0.05$ ,  $\gamma^*e$  : As above, and  $\Delta(\eta_{f\bar{f}}) < 6.2626$ .
  - The pseudo-rapidity distance cut corresponds to  $\theta > 7^\circ$  if the  $f\bar{f}$ -system would be at rest in the lab. Guarantees that at least one of them is in the tracker after boosting the  $f\bar{f}$ -system to the lab.
- For both  $\sqrt{|Q^2|} > 0.05$ ,  $\gamma^*\gamma^*$  : As above.

## Additional cuts for the plots

- “Leptonic” means  $\mu$ :s or  $\tau$ :s, **not electrons**: In  $e^+e^- \rightarrow e^+e^-e^+e^-$ , between which electrons or positrons should the  $Q^2$  be calculated ?
- For the same reason, there is **no  $\Delta(\eta_{f\bar{f}})$  in the M.E. cases**: which  $e^+e^-$  pair is the “ $f\bar{f}$ ”-pair in  $e^+e^- \rightarrow e^+e^-e^+e^-$  ?
- So, we demand that **one (or two) of the final fermions are above  $7^\circ$**  to the beam to be able to compare the M.E. regions with  $\gamma^*$  ones.
- Sometimes  $-Q^2$  comes out negative in the  $\gamma^*$  cases (never in the M.E. ones) - probably because  $m_e$  was neglected in my math :( . Therefore it was demanded that  **$-Q^2 > 0$** , and **the  $\gamma^*$  samples were weighted up** by the corresponding loss of events.

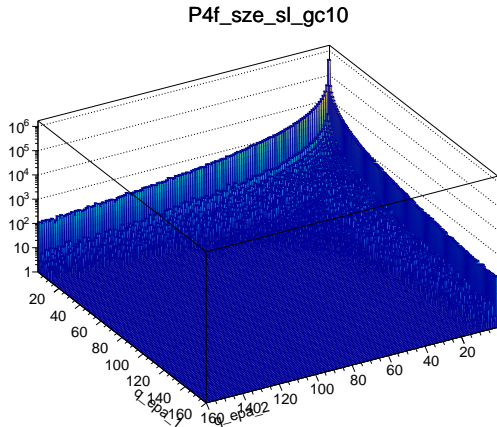
# $Q^2$ vs. $Q^2$

- Full range ( $\gamma\gamma$ ,  $e^+/e^-\gamma$  and M.E. high and low  $Q^2$ )
- Transition M.E. high and low  $Q^2$  (=16)
- Transition M.E. to EPA (=  $2.5 \cdot 10^{-3}$ )



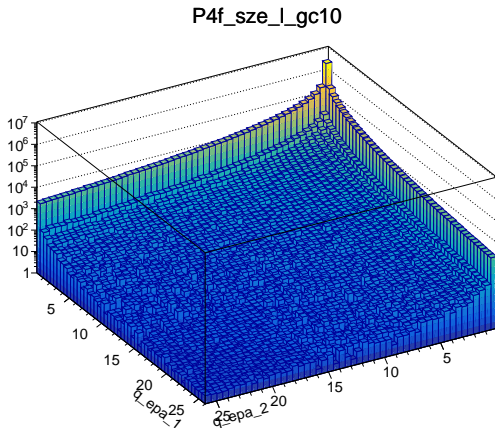
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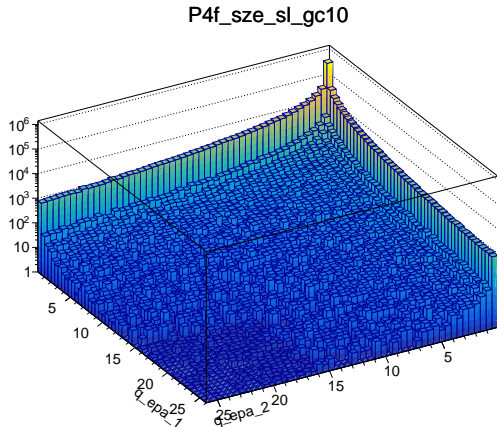
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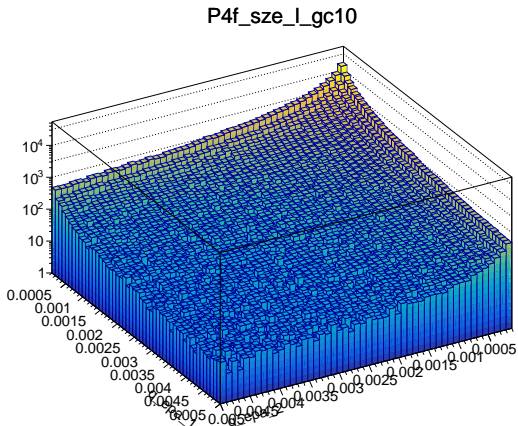
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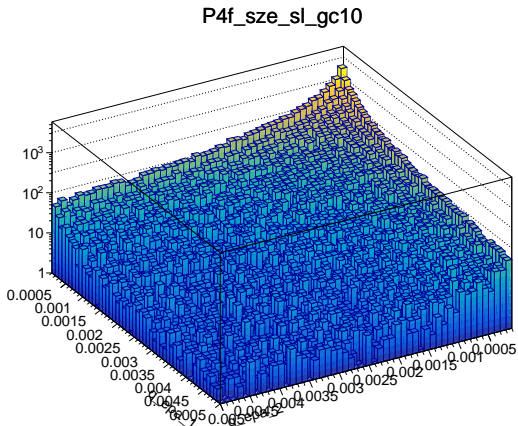
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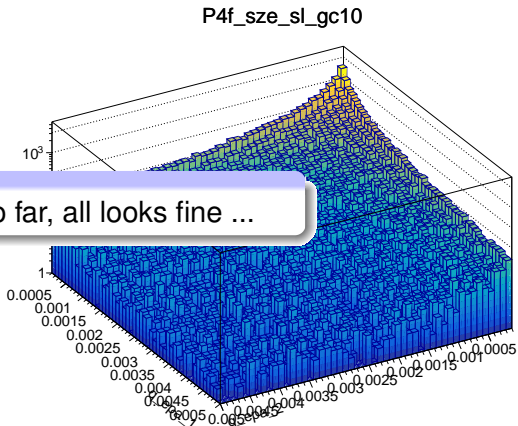
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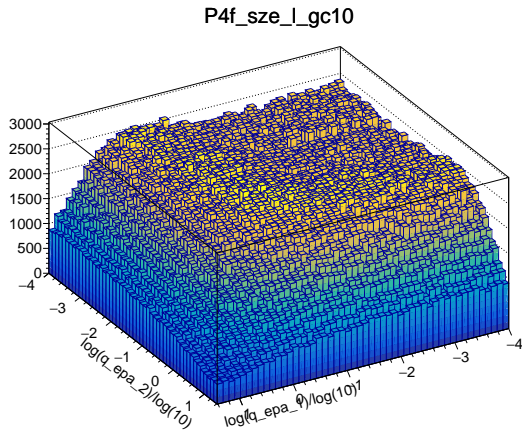
So far, all looks fine ...



# $\lg |Q^2|$ vs. $\lg |Q^2|$

Blow up the lower transition region, by plotting against the logarithm of  $|Q^2|$  ( $\lg(0.05^2) = -2.60$ )

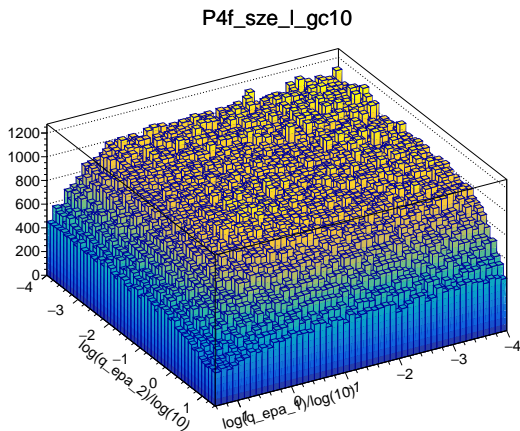
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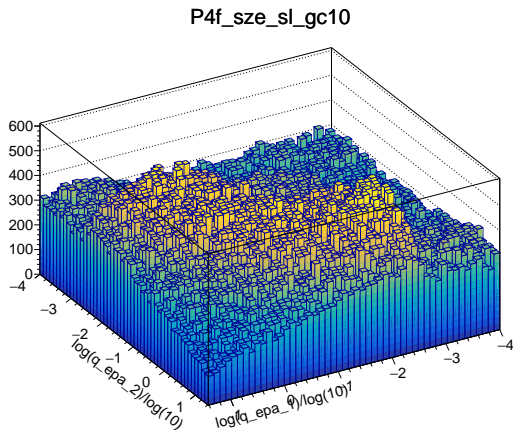
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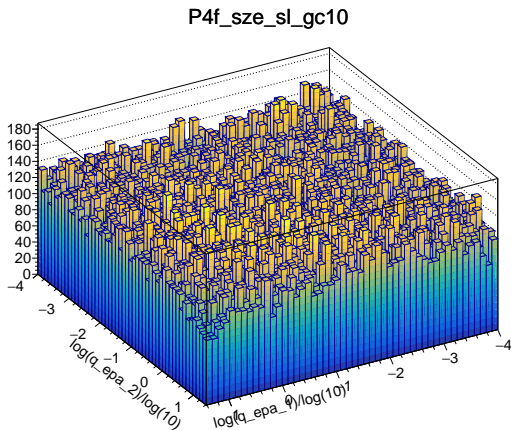
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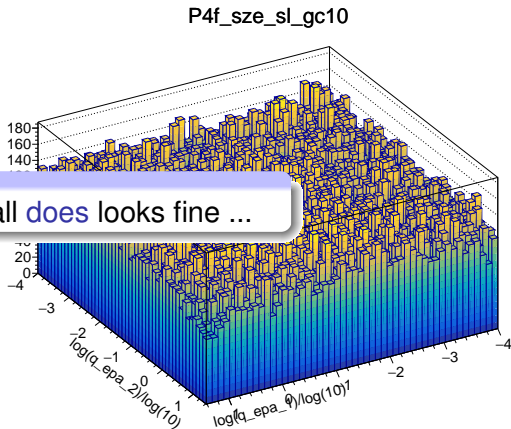


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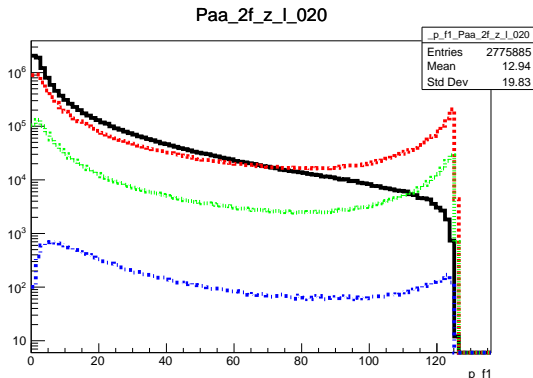




# Properties of new events (for $\int \mathcal{L} = 5 \text{ fb}^{-1}$ )

In all plots: black = aa, red = ae, green = M.E., low  $Q^2$ , and blue = M.E., high  $Q^2$ .

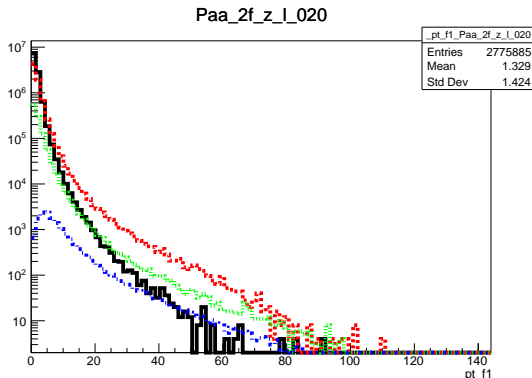
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- Muon  $p_T$
- Di-muon mass
- Di-muon mass, both  $\mu$ :s in tracking.
- Recoil-mass
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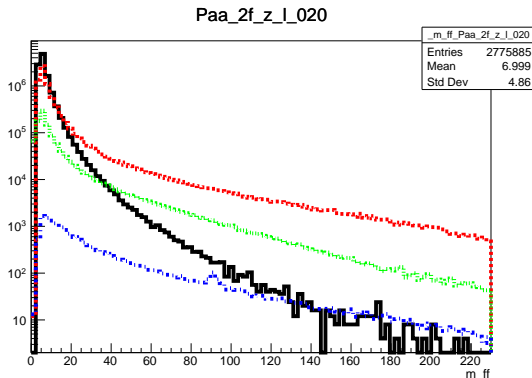
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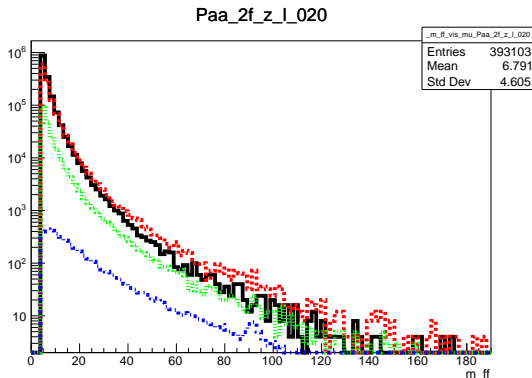
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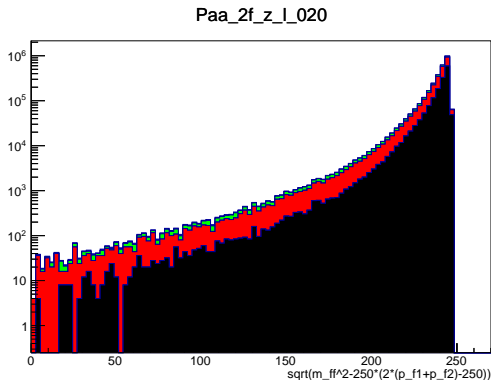
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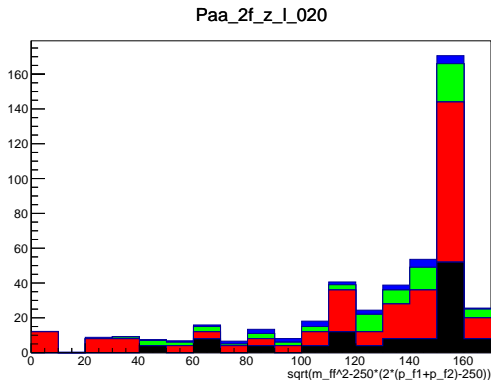
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# Cross-sections of new samples

sample	leptonic pb	hadronic pb	# Mevents generated ( $\sim 1$ ILC year)
aa_2f	9234	414	1259
ae_3f	1426	136	142
ea_3f	1427	137	142
4f_szeloq (LL and RR)	1117	172	54
4f_szeloq (LR and RL)	1123	175	276
Total			1873

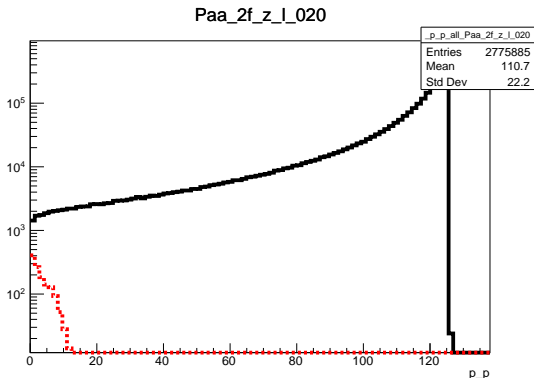
The generated events are [on the grid](#).

Note that the [standard assumptions](#) is *a lot*. The  $5/1/1/5 \text{ ab}^{-1}$  for the “normal” samples is  $\sim 10$  times the full H20 statistics, and the reduced  $1/0.2/0.2/1$  is still more than the 11 years of H20 running, except for aa\_2f, where it is about  $1/2$  of H20 .

# Small events ....

For aa\_2f:

- Just 0.04 % of the events will have a beam-remnant seen in the BeamCal, and then it only deposits a few GeV.
- The energy of the  $f\bar{f}$  system, for events where both  $f$ :s are above 7 deg.
- So, typically there is only a few GeV that hits *anything* in these events.

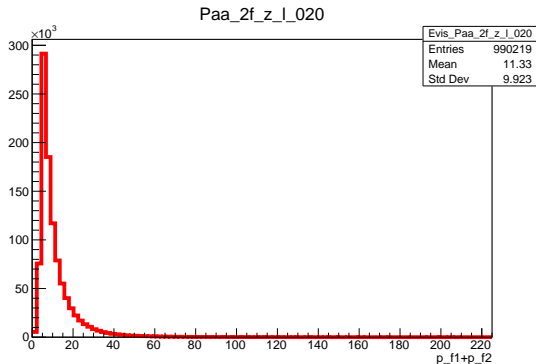




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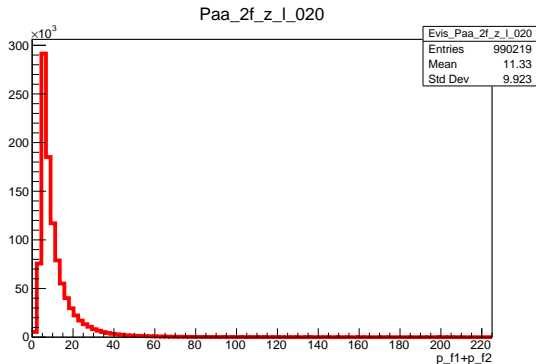
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- So, the average seen energy for the **aa\_2f** class is only 11 GeV = 4 % of 250 GeV.
- Also the **ae/ea\_3f** events are smaller than “typical” events: One beam-remnant is down the beam-pipe, but also the other, high  $Q^2$ , one is in 25 % of the events.
- The average seen energy is  $\sim 94$  GeV in this case = 37 % of 250 GeV.
- Both **aa\_2f** and **ae/ea\_3f** are mainly leptonic: 94 % and 91 %, respectively.
- All this indicates that simulation ( $\propto E_{vis}$ ), and reconstruction ( $\propto E_{vis}$  and multiplicity) should be **much faster** than for the “typical” events.
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# Simulation and Reconstruction estimates (fresh off the press from Ryo Yonamine)

## 250 GeV samples

group	nbjobs	total_nb_inputs	totev_submit		CPUday	SIM	REC	DST
					sim+rec	(TB)	(TB)	(TB)
aa_2f_leptonic_eW_pW	133,800	446	267,600,000		9,450	40.8	180.9	6.17
aa_2f_leptonic_eW_pB	123,433	529	370,300,000		10,383	40.4	177.2	8.45
aa_2f_leptonic_eB_pW	123,400	617	370,200,000		10,839	44.6	160.9	7.41
aa_2f_hadronic_eW_pW	71,600	358	71,600,000		6,042	38	83.7	2.9
aa_2f_hadronic_eW_pB	60,133	451	90,200,000		6,613	43.9	82.4	3.39
aa_2f_hadronic_eB_pW	60,267	452	90,400,000		6,672	40.6	87.4	3.47
aa_4f	229	40	929000		14	0.03	0.08	0
5f	946	52	620000		87	0.8	1.09	0.03
3f	617008	1504	712440000		71949	460.3	752.78	18.76
<b>Total</b>	<b>1,190,816</b>	<b>4,449</b>	<b>1,974,289,000</b>		<b>122,049</b>	<b>709</b>	<b>1,526</b>	<b>51</b>

-> ~ 40days for 3000 CPUs

# Conclusion and Gotchas

- The problem with virtual  $\gamma$ :s is **solved**, and events are generated, and available on the grid.
- With a production corresponding to  $\sim 1$  **ILC year**, all can be processed on the grid in **2-3 months** (< 1 year ....)
- Note that there are **a lot** of channels to consider to completely cover  $eetoe^+ e^- f\bar{f}$  : 38 in total!
- In addition there are **lots of small cross-section channels**  $eetoe^+ e^- f\bar{f}'\bar{f}'$  also to be considered.



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# Conclusion and Gotchas, cont'd

Be aware:

- Different channels have different **kinematic cuts**. Pay attention to the  $m_{f\bar{f}}$  cuts in particular!
- Note that there is **no ISR emitted before the virtual photon is**, so depending on the channel, there might be 0,1, or 2 ISRs present.
- The  $\gamma^*$  samples are **not very sophisticated**. Good enough for background studies, but not for dedicated studies of  $\gamma\gamma$  physics ! Use dedicated generators for that.
- This also goes for  $e^+e^- \rightarrow e^+e^-e^+e^-$  where **interference effects will be lost** in the factorising approach of the EPA.
- Further consolidation is needed for the  $e^+e^- \rightarrow e^+e^-f\bar{f}f'\bar{f}'$ , in particular if the kinematic cuts do match those of M.E. 6-fermions with electrons.

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